

ADVANCED TECHNOLOGIES AND POWER INSTALLATIONS FOR THERMAL AND ELECTRIC ENERGY GENERATION

6.4. Application of air condensers in power industry

6.4.5. Cost-effectiveness analysis of air condensers application

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Cost-effectiveness of new equipment introduction is determined by comparing of new and base alternatives. For the base alternative (1) we will take surface condenser (with wet water cooling tower) of turbine T-250/300-240, and for the new one (2) – air condenser (AC) under development is taken.

Surface condenser

The initial parameters of the base alternative with a surface condenser are as follows:

Condenser thermal capacity	
Q , MW	369,83
Steam consumption G_s , kg/s	165
Condenser heat-exchange surface, $F_{s,c}$, m ²	14 000
Cooling water temperature at the condenser inlet, t_{w1} ,	20
Steam pressure in the condenser, p_c , kPa ..	5,3
Cooling water consumption, $G_{circ. water}$, m ³ /h	28 000
Cooling ratio, m	28,6

Cost-effectiveness analysis of the alternatives under consideration will be conducted under reduced costs. We define a difference between the reduced costs:

$$\Delta C = C_1 - C_2.$$

Reduced costs in the base and new alternatives:

$$C_1 = K_1 E_p + S_1 + S_e \mathcal{E}_1;$$

$$C_2 = K_2 E_p + S_2 + S_e (\mathcal{E}_{vent} + \mathcal{E}_1).$$

We define capital expenditures in the base alternative:

$$K_1 = (K_{s,c} F_{s,c} + K_t F_t) (1 + \alpha_{pi}) (1 + \alpha_i),$$

where $K_{s,c} = 370$ rub/m² — specific capital expenditures in the surface condenser; $K_t F_t = 83,65 \cdot 10^6$ rub — water cooling tower cost; $\alpha_{pi} = 1,27$ — coefficient, considering plant facilities; $\alpha_i = 0,18$ — coefficient, considering installation costs.

$$K_1 = (370 \cdot 14\,000 + 83,65 \cdot 10^6) (1 + 1,27) (1 + 0,18) = 237,94 \cdot 10^6 \text{ rub.}$$

Cost value of the base alternative:

$$S = S_{am1} + S_{pi1} + S_{pl1} + S_{ind.w}$$

We accept amortization charges H_{am} in the value of 3,3%, than costs for amortization are the following:

$$S_{am1} = H_{am} K_1 = 0,033 \cdot 237,94 \cdot 10^6 = 7,852 \cdot 10^6 \text{ rub/year.}$$

Costs for the pipe installations:

$$S_{pi} = 0,2 S_{am1} = 0,2 \cdot 7,852 \cdot 10^6 = 1,5704 \cdot 10^6 \text{ rub/year.}$$

Salary S_s and fuel costs S_f are not considered, as in the base and estimated alternatives they are considered to be the same.

We define costs of industrial water acquisition. Water consumption:

a) for evaporation

$$G_{ev} = 1\,794\,656 \text{ m}^3/\text{year};$$

b) for droplet entrainment

$$G_{dr. ent} = 121\,837 \text{ m}^3/\text{year};$$

c) for blowing-down

$$G_{bd} = 3\,401\,486 \text{ m}^3/\text{year.}$$

Industrial water price $P_w = 1,22$ rub/m³, price of blow-down water discharge $P_{bd.w} = 1,09$ rub/m³.

Industrial water consumption

$$G_{ind.w} = G_{ev} + G_{dr.ent} + G_{bd} = 5\,317\,979 \text{ rub/m}^3.$$

Costs for acquisition of industrial water

$$S_{ind.w} = 5\,317\,979 \cdot 1,22 = 6,488 \cdot 10^6 \text{ rub/year.}$$

Costs for blow-down water discharge

$$S_{dis.bd} = 3\,401\,486 \cdot 1,09 = 3,708 \cdot 10^6 \text{ rub/year.}$$

Costs for industrial water:

$$S_{ind.w} = 6,488 \cdot 10^6 + 3,708 \cdot 10^6 = 10,196 \cdot 10^6 \text{ rub/year.}$$

Plant costs

$$S_{pl1} = 0,2 (S_{ind.w} + S_{am1} + S_{pi1});$$

$$S_{pl1} = 0,2 (10,196 \cdot 10^6 + 7,852 \cdot 10^6 + 1,5704 \cdot 10^6) = 3,924 \cdot 10^6 \text{ rub/year.}$$

Total costs in the base alternative

$$S_1 = S_{ind.w} + S_{am1} + S_{pi1} + S_{pl1};$$

$$S_1 = (10,196 + 7,852 + 1,5704 + 3,924) 10^6 = 23,5424 \cdot 10^6 \text{ rub/year.}$$

Annual energy consumption for circulating pumps

$$E_{a.c.p} = N_{c.p} n_{c.p} \tau,$$

where $N_{c.p}$ — electric motor power of one circulating pump; $n_{c.p}$ — amount of circulating pumps for the power unit; τ — total operating hours in a year, h;

$$\mathcal{E}_{a.c.p} = 780 \cdot 2 \cdot 7500 = 11,7 \cdot 10^3 \text{ MW} \cdot \text{h/year.}$$

Reduced costs in the base alternative

$$C_1 = K_1 E_H + S_1 + S_e \mathcal{E}_{a.c.p};$$

$$C_1 = 237,94 \cdot 10^6 \cdot 0,1 + 23,5424 \cdot 10^6 + 0,1 \cdot 11,7 \cdot 10^6 = 48,506 \cdot 10^6 \text{ rub/year.}$$

Air condenser

The initial parameters:

Condenser thermal capacity	
Q , MW	369,83
Steam consumption, G_{s2} , kg/sec	165
Temperature of the cooling atmosphere air	
t_{a1} , °C	20
Steam pressure in the condenser p_c , kPa ...	5,3
Temperature of steam saturation t_s , °C	34
Cooling ratio m	100

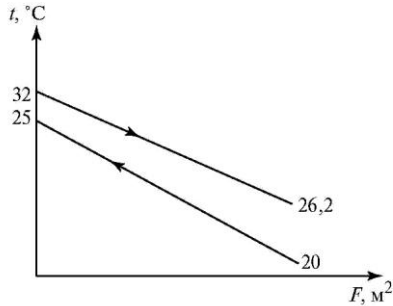
Temperature of power water in the mixing condenser is below the saturation temperature by 0,5.....2 °C, i.e. we assume $t_1' = t_s - 2 = 34 - 2 = 32$ °C. We define water heating in

the ejector-condenser

$$\delta t_1 = \frac{r}{c_p m} = \frac{2420 \cdot 10^3}{4170 \cdot 100} = 5,8 \text{ } ^\circ\text{C},$$

where r — latent heat of evaporation; c_p — water heating capacity.

The analytic model is taken:



We define an efficiency of air heating

$$\varepsilon = \frac{t_2'' - t_2'}{t_1'' - t_1'} = \frac{25 - 20}{32 - 20} = \frac{5}{12} = 0,42.$$

Air consumption

$$G_2 = \frac{Q}{c_p \delta t_2} = \frac{369,83 \cdot 10^6}{1005 \cdot 5} = 74 \text{ } 000 \text{ } \text{kg/c}.$$

According to the model [11] at $\varepsilon = 0,42$ we define a number of heat transfer units of $\text{NTU} = 0,75$.

We estimate $G c_p$:

$$G_1 c_{p1} = G_c m \cdot 4174 = 165 \cdot 100 \cdot 4174 = 68,87 \cdot 10^6;$$

$$G_2 c_{p2} = G_w \cdot 1005 = 74 \text{ } 000 \cdot 1005 = 74,00 \cdot 10^6.$$

We estimate the ratio of water equivalents of heat transfer agent:

$$\frac{W_1}{W_2} = \frac{68,87}{74,00} = 0,92.$$

We calculate the heat exchange surface:

$$F_2 = \text{NTU} \frac{W_{\min}}{k} = 0,75 \cdot \frac{68,87 \cdot 10^6}{40} = 1 \text{ } 291 \text{ } 313 \text{ } \text{m}^2$$

— the finned surface from the cooling air side. A factor of finned surface of bundle tubes is assumed to be 20, than the heat exchange surface from the cooling water side will be as follows:

$$F_2' = F_2 / 20 = 64 \text{ } 566 \text{ } \text{m}^2.$$

Electrical power of the fan drive at air pumping by the ventilation installation will be defined as follows. Productivity of one fan is $G_2 = 260 \text{ } \text{kg/s}$, therefore, an amount of ventilation installations will be equal to $N_{\text{total}} = 74 \text{ } 000 / 260 = 285$. Since power of one engine makes 75 kW, then the total power is $E_{\text{vent}} = 285 \cdot 75 = 21 \text{ } 375 \text{ } \text{kW}$.

Reduced costs in the new alternative:

$$C_2 = K_2 E_p + S_2 + S_e (E_{\text{vent}} + \mathcal{E}_{\text{circ.p}}).$$

Capital expenditures in the new alternative

$$K_2 = KF(1 + \alpha_{pi})(1 + \alpha_i) =$$

$$= KF_2(1 + 1,27)(1 + 0,18) = KF_2 \cdot 2,68,$$

where K — price of the finned surface, rub/m³.

Cost price of the new alternative

$$S_2 = S_{\text{am}2} + S_{\text{pi}2} + S_{\text{pl}2}$$

Amortization costs

$$S_{\text{am}} = 0,033 K$$

Costs for pipe installations

$$S_{\text{pi}2} = 0,2 S_{\text{am}2} = 0,2 \cdot 0,033 K = 0,0066 K.$$

Plant costs

$$S_{\text{pl}2} = 0,2(S_{\text{am}2} + S_{\text{pi}2}) = 0,2(0,033 K + 0,0066 K) =$$

$$= 0,2 \cdot 0,0396 K = 0,00792 K.$$

Total costs in the new alternative

$$S_2 = 0,033 K + 0,0066 K + 0,00792 K = 0,04752 K.$$

Electricity consumption of circulating pumps is taken 3,5 times higher, as the cooling ratio in the new alternative is $m = 100$ (in the base $m = 28,6$).

$$E_{\text{circ.p}} = 3,5(780 \cdot 2) = 5460 \text{ } \text{kW};$$

$$E_{\text{circ.p}} = S_e \cdot \tau \cdot E_{\text{circ.p}} = 0,1 \text{ } 7500 \cdot 5460 =$$

$$= 4,095 \cdot 10^6 \text{ } \text{rub/year}.$$

Electricity consumption by the fan drives

$$S_{\text{vent}} = S_e E_{\text{vent}} = 0,1 \text{ } 21375 \cdot 7500 =$$

$$= 16,03 \cdot 10^6 \text{ } \text{rub/year}.$$

Reduced costs

$$C_2 = 2,68(KF)0,1 + 0,04752 K + S_{\text{circ.p}} + S_{\text{vent}};$$

$$C_2 = K(0,268F + 0,04752) +$$

$$+ (4,095 \cdot 10^6 + 16,03 \cdot 10^6);$$

$$C_2 = K \cdot 17304 + 20,125 \cdot 10^6.$$

If the price of the finned surface is $K = 1000 \text{ } \text{rub/m}^2$, than

$$C_2 = 1000 \cdot 17304 + 20,125 \cdot 10^6 =$$

$$= (17,304 + 20,125) \cdot 10^6 = 37,429 \cdot 10^6 \text{ } \text{rub/m}^2.$$

At the prices up to $K = 1500 \text{ } \text{rub/m}^2$, alternative of AC application is more beneficial than application of traditional cooling scheme. The difference of the reduced costs is:

$$\Delta C = C_1 - C_2 = 48,506 \cdot 10^6 - 37,429 \cdot 10^6 =$$

$$= 11,077 \cdot 10^6 \text{ } \text{rub/year}.$$

The gained result testifies about economic benefits of air condensing installation application compared to traditional system of the surface condenser (with "wet water cooling tower").